# JUNIOR ASSESSMENT OF MATHEMATICS (JAM) TEACHERS' GUIDE 



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## INSTRUCTIONS FOR USING THIS ASSESSMENT

## Purpose

Junior Assessment of Mathematics (JAM) is designed to be used with students in their first three years at school. It provides tasks that will allow you to assess the achievement of a student in relation to levels one and two of The New Zealand Curriculum (NZC) and the mathematics standards for years 1-3. The tasks are grouped into a series of modules (outlined below).

The number modules of JAM replace the diagnostic interview (NumPA). If a student shows achievement beyond the tasks of JAM, use other Numeracy Development Project (NDP) tools, such as Global Strategy Stage (GloSS) and Individual Knowledge Assessment of Number (IKAN), to assess their strategies and knowledge for the number strand. For the other strands, tools such as the Assessment Resource Bank (ARB) or Progressive Achievement Tests (PAT) can be used.

The NZC levels are organised as a learning trajectory and cover two years of learning, so it should be possible to identify an appropriate sub-level (Number Framework stage or mathematics standards year group), for each module of the assessment. Student responses, rather than their year of schooling, should be the basis for judging which Number Framework stage or mathematics standard is most appropriate. Students will not necessarily be consistent in their achievement across each strand of the NZC. This means they may meet the expectations for a given sub-level in one module but meet the expectations for a different sub-level in another module.

Note: JAM does not assess all strands or all concepts in the knowledge domains or strands.
JAM is designed to inform the teaching and learning process. It may be used to assist teachers to make an overall teacher judgment - it is only one source of evidence. Ongoing formative assessment and evidence may be gathered in the following three ways:


Conversing with the student to find out what they know, understand, and can do

The assessment consists of 11 modules. Each module can be used as a separate assessment, or the modules can be combined to provide a broader assessment. Teachers will need to select the modules that are relevant to the needs of the students. Note: It is not expected that a student will complete all modules in one sitting.

| NUMBER STRATEGIES | NUMBER KNOWLEDGE | OTHER STRANDS |
| :--- | :--- | :--- |
| Module One: Number <br> (Additive Strategies) | Module Three: Number <br> (Numeral Identification) | Module Nine: Algebra (Patterns) |
| Module Two: Number |  |  |
| (Multiplicative Strategies) |  |  |$\quad$| Module Four: Number |
| :--- |
| (Forward Sequences Knowledge) |
| Module Five: Number |
| (Backward Sequences Knowledge) |
| Module Six: Number |
| (Fraction Knowledge) |$\quad$ Module Eleven: Measurement (Length) | Module Seven: Number |
| :--- |
| (Grouping and Place Value Knowledge) |

## Administering the Assessment

You do not need to start the assessment at the beginning; you can start at any module, and at any point within that module depending on what you know about the student.

This assessment provides "moment in time" information. If you have evidence that the student is able to demonstrate that they can usually solve this type of question independently and most of the time, you might ask them another similar question to enable you to find out what the student knows.

If a student successfully completes a task, the instruction "proceed" suggests that you move to later tasks in that module of the assessment. Further tasks extend the thinking of the student and may result in a student exhibiting higher level strategies or knowledge. If a student is unsuccessful with a task, the instruction "proceed to module ..." indicates that you stop that section of the assessment and move on to the next module.

Note: If you are unsure of the stage that a student is at because of their response to a question, ask another similar question. Probing questions may be required to determine the student's strategy stage.

If you are working with a student who has difficulty with the English language, you may need to rephrase questions in a way that they will understand; however do not change the intent of the question. For example do not alter a change unknown question (6 + ? = 13) to a result unknown (6 + $7=$ ? )

You will need to make a decision as to whether the student is still working at the stage indicated or is ready to be transitioned to the next stage; for example, a student who demonstrates that they can count on forwards and backwards (stage 4) to solve problems would need to be transitioned into stage 5 . However, if the student is able only to count on, they need further work at stage 4, focusing on counting backwards to solve subtraction problems.

The number strategy stages achieved in JAM align with the strategy stages in the NumPA and GloSS assessments.

| NEW ZEALAND CURRICULUM | MATHEMATICS STANDARDS | NUMBER FRAMEWORK |
| :--- | :--- | :--- |
| Beginning level one |  | Stages 0 and 1 |
| Early level one | After one year at school | Stages 2 and 3 (counting all) |
| At level one | After two years at school | Stage 4 (advanced counting) |
| Early level two | After three years at school | Early stage 5 (early additive) |

## MATERIALS NEEDED

You should have the following materials in your kit:

- JAM Teachers' Guide
- a copy of the assessment booklet
- copies of the student response recording sheet (one for each student)
- two pieces of card (half A4 size) for masking

- dot strips made from copymaster two (relates to module seven)
- $\quad$ strips made from copymaster three (relates to module eleven)
- two sets of attribute blocks or similar, e.g., a variety of different-shaped and different-coloured tiles or blocks (see modules nine and ten - in particular, what you need for tasks 9A and 9C)

- objects for measuring such as counters, A4 paper, paper clips, string, pencil, rulers, tape measure, Cuisenaire blocks, and so on (see module eleven).


## MODULE ONE: NUMBER (ADDITIVE STRATEGIES)

| TASK 1A | FORMING A SET AND UNDERSTANDING ONE MORE |
| :--- | :--- |
| Actions | Provide the student with a set of counters. |
| Say | Please get nine counters for me. If successful: Here is one more counter. How many counters do you <br> have now? |
| Decision | If the student is unable to form a set of up to nine objects, ask them to get you five counters. If they are <br> unable to form a set of five, rate them as stage $\mathbf{0}$ and proceed to module three. <br> If they are able to do this, proceed to task 1B. |
| TASK 1B | COMBINING SETS |
| Place four counters (of one colour) in the student's left hand and three counters (of another colour) in the |  |
| student's right hand. Close the student's hands. |  |


| TASK 1D | SEPARATE TWO SETS BACK THROUGH TEN |
| :---: | :---: |
| Actions | Place 14 counters under one masking card. Remove five counters but mask them in your hand. Show the second expression ( $14-5$ ) on page 1 of the Assessment Booklet. |
| Say | There were 14 counters under this card. I have taken away five counters. How many counters are left under the card? |
| Decision | If the student is unable to count back ( $14,13,12,11,10,9$ ), note the problem with counting backwards and rate them as stage 4 (as indicated from task 1C). Proceed to module two. <br> If the student counts back $(14,13,12,11,10,9)$, rate them as stage 4 and proceed to task $\mathbf{1 E}$ for confirmation. <br> If the student uses additive strategies $(14-4=10$, so $14-5=9$; or $9+5=14$, so $14-5=9$ ), rate them as early stage 5 and proceed to task 1E for confirmation. <br> If the student states that they just know it, ask another similar question to confirm that they know these basic facts, then proceed to task 1 E . |
| TASK 1 E | USING PLACE VALUE FOR ADDITION PROBLEMS |
| Actions | Show page 2 of the Assessment Booklet. |
| Say | There are 42 sheep in one paddock and 30 sheep in the other paddock. How many sheep are there altogether? |
| Decision | If the student attempts to count on in ones ( $42,43,44, \ldots$ ), stop and note that they do not apply place value. Rate them at the highest stage demonstrated in tasks 1C-1D and proceed to module two. <br> If the student counts on in tens $(42,52,62,72)$, note that they are able to use increments of ten. Rate them at the highest stage demonstrated in tasks 1C-1D and proceed to module two. <br> If the student uses additive strategies $(40+30=70,70+2=72)$, rate them as early stage 5 and proceed to module two. <br> If the student shows quick recall of $42+30=72$, or says $4+3=7$ so $70+2=72$, go to the addition and subtraction tasks in GloSS to determine their strategy stage. |

BEHAVIOURAL INDICATORS: NUMBER STRATEGIES

| NEW ZEALAND CURRICULUM |  |  | NUMBER <br> FRAMEWORK | MATHEMATICS STANDARDS |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| In solving problems and modelling situations, students will: |  |  |  | In solving problems and modelling situations, students will: |  |
| Beginning | - learn to count objects by assigning one number to one object <br> - be able to count a collection of five objects by assigning one number to one object. (They are learning to count ten objects.) |  | Stage 0 | Beginning | - learn to count objects |
|  |  |  | Stage 1 |  | - counts objects one to one |
| Level One | - use a range of counting, grouping, and equal-sharing strategies with whole numbers and fractions | Early | Stages 2-3 | Year 1 | - apply counting-all strategies |
|  |  | At | Stage 4 | Year 2 | skip-counting, and simple grouping strategies |
| Level Two | - use simple additive strategies with whole numbers and fractions | Early | Early stage 5 | Year 3 | - apply basic addition facts and knowledge of place value and symmetry to: - combine or partition whole numbers |

## MODULE TWO: NUMBER (MULTIPLICATIVE STRATEGIES)

| TASK 2A | SIMPLE MULTIPLICATION |
| :---: | :---: |
| Actions | Show page 3 of the Assessment Booklet. |
| Say | There are eight monkeys. If each monkey eats two bananas for lunch, how many bananas will have been eaten? |
| Decision | If the student does not understand the problem, rate them as stages $\mathbf{0 - 1}$ and proceed to module three. If the student tries to count from one ( $1,2,3,4,5,6,7,8,9,10,11, \ldots)$, stop. Rate them as stages $\mathbf{2 - 3}$ and proceed to task 2B. <br> If the student skip-counts in twos ( $2,4,6, \ldots 16$ ), rate them as stage 4 and proceed to task 2B for confirmation. <br> If the student uses addition ( $4+4=8 ; 8+4=12$ and counts on to 16 , or $4+4=8 ; 8+8=16$ ), rate them as early stage 5 and proceed to task 2B for confirmation. <br> If the student knows $8 \times 2=16$ as a known fact, rate them as early stage 5 and proceed to task 2B for confirmation. |
| TASK 2B | EQUAL PARTITIONING (DIVISION) |
| Actions | Show page 4 of the Assessment Booklet and put out 12 beans (or counters). |
| Say | How many pieces are there in this circle? Do you know what the shaded (coloured) piece is called? (Either fourth or quarter is acceptable). If you have 12 beans to spread evenly on the circle, how many beans would be on each piece of the circle? (Give the student time to solve the problem. If the student is unable to answer the question, allow them to manipulate the beans to solve it.) |
| Decision | If the student solves the beans problem by equal sharing one at a time, note whether the student uses the materials or images the sharing in their head. Rate them at stages 2-3 and proceed to module three. <br> If the student solves the beans problem by sharing in groups, note whether the student uses the materials or images the sharing in their head. Rate them at stage 4 and proceed to task 2C for confirmation. <br> If the student uses additive strategies $(3+3=6$, so $6+6=12 ; 2+2+2+2=8$, so $3+3+3+3=12$; or half of 12 is 6 , so half of 6 is 3 ), rate them as early stage 5 for fractions and proceed to task $2 \mathbf{C}$ for confirmation. <br> If the student knows $4 \times 3=12$ as a known fact, rate them as at least early stage 5 and go to the fraction tasks in GloSS to determine their strategy stage. Then proceed to module three. |

## TASK 2C $\quad$ INTERPRETING ARRAYS

Actions Show page 5 of the Assessment Booklet.
Say In this box of tennis balls, there are six rows. Each row has five tennis balls. Use horizontal and vertical sweeps with the index finger. Mask all but one of the horizontal and one vertical edge of the array. How many tennis balls are there altogether? If the student is unable to give an answer, uncover the rest of the sheet.

Decision If the student tries to count from one (1, 2, 3, 4, 5...) stop. Rate them at their highest stage indicated in task 2 A or 2 B .

If the student skip counts in fives $(5,10,15,20 \ldots 30)$ rate them as stage 4 and proceed to module three.
If the student uses additive strategies $(5+5=10$ and $10+10=20$ and $20+5+5=30$, or $2 \times 5=10,2 \times$ $5=10,2 \times 5=10$ and $10+10+10=30$, or $10+10+10=30$ rate them as early stage 5 and proceed to module 3.

If the student knows $6 \times 5=30$ as a known fact, rate them as at least early stage 5 and go to the multiplication tasks in GloSS to determine their strategy stage. Then proceed to module three.

BEHAVIOURAL INDICATORS: NUMBER STRATEGIES

| NEW ZEALAND CURRICULUM |  | NUMBER <br> FRAMEWORK | MATHEMATICS STANDARDS |
| :--- | :--- | :--- | :--- | :--- |

NB. Fractions arise as a consequence of the act of dividing a whole into equal parts

| TASK 3A | NUMERAL IDENTIFICATION |
| :---: | :---: |
| Actions | These questions are all asked orally. You will need the cut out numbers from the copymaster for task 3A. Place the number cards one at a time in front of the student. |
| Say | 1) What is this number? (The numbers are $3,9,5,1,8,6,0,4,2,7$.$) Note the numbers they can identify.$ <br> If the student is unable to identify most of the numbers in this set, proceed to module 4. <br> If the student is successful in identifying most of the numbers in this set, proceed to task 3A: 2. <br> 2) What is this number? (The numbers are $13,19,11,16,12$. ) Listen carefully for confusion between 'teen' and 'ty'. Note the numbers they can identify. <br> If the student is unable to identify most of the numbers in this set, proceed to module 4. <br> If the student is successful in identifying most of the numbers in this set, proceed to task 3A: 3. <br> 3) What is this number? (The numbers are $66,43,80,38,137,463,695,702,899$.) Note the numbers they can identify and proceed to module 4. |

## Decision


#### Abstract

If the student is unable to recognise all numbers in the range 0 to 10 rate them at stage 0. If the student is able to recognise all of the numbers in the range 0 to 10 rate them as stage 1 . If the student is able to recognise most of the numbers in the range 0 to 20 rate them as stage 2. If the student is able to recognise all of the numbers in the range 0 to 20 rate them as stage 3 . If the student is able to recognise all of the 2-digit numbers rate them as stage 4. If the student is able to recognise all of the 2 -digit and 3-digit numbers rate them as early stage 5 .


BEHAVIOURAL INDICATORS: NUMBER IDENTIFICATION

| NEW ZEALAND CURRICULUM |  |  | NUMBER FRAMEWORK |  |
| :---: | :---: | :---: | :---: | :---: |
| Students will: |  |  | The student: |  |
| NZC |  | Beginning | Stage 0 | - is learning to read numbers in the range 0-10 |
| Level One | - identify the numerals to 100 | Beginning | Stage 1 | - reads all of the numbers in the range 0-10 |
|  |  | Early | Stage 2 | - reads most of the numbers in the range 0-20 |
|  |  |  | Stage 3 | - reads all of the numbers in the range 0-20 |
|  |  | At | Stage 4 | - reads all of the numbers in the range 0-100 |
| Level Two | - identify the numerals to 1000 | Early | Early Stage 5 | - reads all of the numbers in the range 0-1000 |

## MODULE FOUR: NUMBER (FORWARD SEQUENCES KNOWLEDGE)

| TASK 4A | FORWARD SEQUENCES |
| :---: | :---: |
| Actions | These questions are all asked orally. For task 4, you will need the cut-out numbers from the copymaster for task 4A. |
| Say | 1) Start counting for me from 1, like this: 1, 2, 3, ... I will tell you when to stop. (Stop the student at 32 or when they are unable to successfully continue the sequence.) <br> If the student is unsuccessful in counting forwards, proceed to task 4A: 3. If the student is successful, proceed to task 4A: 2 . Note successful sequences. <br> 2) Start counting for me from 86 , like this: $86,87,88, \ldots$ I will tell you when to stop. (Stop the student at $\mathbf{1 0 6}$ or when they are unable to successfully continue the sequence.) Proceed to task 4A: 3. Note successful sequences. <br> 3) Within the successful counting range of the student, use the task 4A copymaster numbers. Show the numbers one at a time. Say: I will show you some numbers. For each number I show you, you say the number after it; that is, the number that is one more. (The numbers are 1, 9, 3, 7, 13, 11, 19, 76, $29,99,378,149,794,409,999$.) Note the student's responses and proceed to task 4A: 4. <br> 4) Skip-count for me in 2s, like this: 2, 4, 6, ... I will tell you when to stop. (Stop the student at 34 or when they are unable to successfully continue the sequence.) Take note of the highest number counted in 2 s . |
| Decision | If the student is unable to count forwards from 0 to 10 , rate them as stage $\mathbf{0}$. <br> If the student is able to count forwards from 0 to 10 , rate them as stage 1. <br> If the student is able to provide the number after in the range 0 to 10 but drops back in the range 10 to 20 , rate them as stage 2. <br> If the student is able to provide the number after in the range 0 to 20 without dropping back, rate them as stage 3. <br> If the student is able to provide the number after in the range 0 to 100 without dropping back, and is able to skip count forwards in 2 s to 34 rate them as stage 4. <br> If the student is able to provide the number after in the range 0 to 1000 without dropping back, and is able to skip forwards in 2 s to 34 , rate them as early stage 5. <br> If the student has achieved early stage 5 easily, then proceed to the appropriate section in IKAN. |

BEHAVIOURAL INDICATORS: NUMBER KNOWLEDGE

| NEW ZEALAND CURRICULUM |  |  | NUMBER FRAMEWORK |  |
| :---: | :---: | :---: | :---: | :---: |
| Students will: |  |  | The student: |  |
| NZC |  | Beginning | Stage 0 | - is learning to count forwards in the range 0-10 |
| Level One | - know the forward and backward counting sequences of whole numbers to 100 | Beginning | Stage 1 | - says forward sequences in the range 0-10 |
|  |  | Early | Stage 2 | - says forward sequences and the number after in the range 0-10 |
|  |  |  | Stage 3 | - says forward sequences and the number after in the range 0-20 |
|  |  | At | Stage 4 | - says forward sequences and the number after in the range 0-100 and skip counts forwards in 2 s |
| Level Two | - know the forward and backward counting sequences with whole numbers to at least 1000 | Early | Early Stage 5 | - says forward sequences and the number after in the range 0-1000 and skip counts forwards in 2s |


| TASK 5A | BACKWARD SEQUENCES (CONTINUED) |
| :--- | :--- |
| Actions | These questions are all asked orally. For task 5, you will need the cut-out numbers from the copymaster for <br> task 5A. |

Say

1) Start counting backwards for me from 10, like this: 10, 9, 8, .. I will tell you when to stop. (Stop the student at $\mathbf{0}$ or when they are unable to successfully say the sequence.)

If the student is unable to successfully count backwards, proceed to task 5A: 4.
If the student is successful, proceed to task 5A: 2. Note any successful sequences.
2) Start counting backwards for me from 23, like this: $23,22, \ldots$ I will tell you when to stop. Stop the student at 9 or when they are unable to successfully continue the sequence and proceed to task 5A: 3. Note any confusion with -teen and -ty numbers. Note successful sequences.
3) Start counting backwards for me from 103, like this: 103, 102, ... I will tell you when to stop. Stop the student at 89 or when they are unable to successfully continue the sequence and proceed to task 5A: 4.
4) Within the successful counting range of the student, use the task 5 A copymaster numbers. Show the numbers one at a time. Say: I will show you some numbers. For each number I show you, you say the number before it; that is, the number that is one less. (The numbers are $4,9,6,8,13,11,20,80$, $30,100,261,576,400,230,1000$.) Note student responses and proceed to task 5A: 5.
5) Start skip-counting backwards in 2s from 28, like this: 28, 26, 24, ... I will tell you when to stop. Stop the student at 6 or when they are unable to successfully continue the sequence. Take note of the last number correctly counted to in 2 s .

Decision If the student is unable to count backwards from 10 to 0 , rate them as stage $\mathbf{0}$.
If the student is able to count backwards from 10 to 0 , rate them as stage 1.
If the student is able to count backwards from 10 and provide the number before in the range 0 to 10 but counts forward to find number before in the range 10-20, rate them as stage 2.

If the student is able to count backwards from 20 and provide the number before in the range 0 to 20 , rate them as stage 3.

If the student is able to count backwards from 100, provide the number before in the range 0 to 100 and skip count backwards in 2s from 26, rate them as stage 4.

If the student is able to provide the number before in the range 0 to 1000 and skip count backwards in 2 s from 28 rate them as early stage 5.

If the student has achieved early stage 5 easily, proceed to the appropriate section in IKAN.

## Notes:

- Students may find it more difficult to name the number before a number ending in a 0 because it takes them to a different decade.

BEHAVIOURAL INDICATORS: NUMBER KNOWLEDGE

| NEW ZEALAND CURRICULUM |  |  | NUMBER FRAMEWORK |  |
| :---: | :---: | :---: | :---: | :---: |
| Students will: |  |  | The student: |  |
| NZC |  | Beginning | Stage 0 | - is learning to count backwards in the range 0-10 |
| Level One | - know the forward and backward counting sequences of whole numbers to 100 | Beginning | Stage 1 | - says backward sequences in the range 0-10 |
|  |  | Early | Stage 2 | - says backward sequences and the number before in the range 0-10 |
|  |  |  | Stage 3 | - says backward sequences and the number before in the range 0-20 |
|  |  | At | Stage 4 | - says backward sequences and the number before in the range 0-100 and skip counts backwards in 2s |
| Level Two | - know the forward and backward counting sequences with whole numbers to at least 1000 | Early | Early Stage 5 | - says backward sequences and the number before in the range 0-1000 and skip counts backwards in 2s. |

## MODULE SIX: NUMBER (FRACTION KNOWLEDGE)

| TASK 6A | NAMING PARTS |
| :--- | :--- |
| Actions | Show each picture on page 6 of the Assessment Booklet. (Make sure that the student can only see one <br> picture at a time.) |
| Say | (For each picture) What fraction of the shape is coloured in? |
| Decision | If the student is unable to name any fraction, rate them as stages 0-1 and proceed to module seven. <br> If the student names one-half and one-quarter (one-fourth) successfully, rate them as stages 2-3 and <br> proceed to task 6B to extend their thinking. <br> If the student names all the fractions except $\frac{\mathbf{1}}{10}$ successfully, rate them as stage $\mathbf{4}$ and proceed to task 6B <br> to extend their thinking. <br> If the student names all the fractions successfully, rate them as early stage 5 and proceed to task 6B to <br> extend their thinking. |


| TASK 6B | FRACTION SYMBOLS |
| :---: | :---: |
| Actions | For this task, you will need the cut-out fractions from the copymaster for task 6B. Place the fraction symbol cards one at a time in front of the student. Show page 6 of the Assessment Booklet. |
| Say | Say these fractions for $m e\left(\frac{1}{4}, \frac{1}{2}, \frac{1}{3}, \frac{1}{5}, \frac{1}{10}\right)$. If the student names the symbols: Place the cards on the correct shape. |
| Decision | If the student names the symbols for one-half and one-quarter (one-fourth) only and correctly matches the cards to the correct shape picture, rate them as stage 2-3. <br> If the student names all the symbols and correctly matches the cards to the correct picture except $\frac{1}{10}$, rate them as stage 4. <br> If the student names all the symbols and correctly matches the cards to the correct picture, rate them as early stage 5 . |

BEHAVIOURAL INDICATORS: NUMBER KNOWLEDGE

| NEW ZEALAND CURRICULUM |  | NUMBER FRAMEWORK |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Students will: |  | The student: |  |  |
| Level |  | Early | Stages 2-3 | • recognises and names halves and quarters of <br> shapes |
| One |  |  |  |  |

## Note:

- The stages are indicative of what students should be exploring with fractions in the early years at school. The students need to be involved in activities that focus on halves and quarters of shapes and quantities, even though there are no fraction knowledge descriptors at stages 0-3 in the Number Framework or at level one of the NZC. Fractions are explored at the early stages through the strategy domain (see task 2C).

MODULE SEVEN: NUMBER (GROUPING AND PLACE VALUE KNOWLEDGE)

| TASK 7A | SUBITISING AND GROUPING TO TEN |
| :--- | :--- |
| Actions 7A(i) | Randomly show all of the cut-out dot pictures from the copymaster for task 7A, one at a time for one second. |
| Say | (For each picture) How many dots do you see? |
| Decision 7A(i) | Note which sets they are able to subitise and proceed to task 7A(ii). |
| Actions 7A(ii) | Show the four tens frame from the copymaster for task 7A for one second. |
| Say | How many more dots to make five? |
| Actions 7A(iii) | Show the eight tens frame from the copymaster for task 7A for one second. |
| Say many dots did you see? How do you know? (You are listening for five and three) |  |
| Decision 7A(iii) | If the student is unable to recognise $4+1$ (grouping within 5) rate them as stage 0-1 and proceed to <br> module eight. <br> If the student is able to recoginse 4 + 1 rate them as stage $\mathbf{2}$ and proceed to module eight. <br> If the student is able to recognise $4+1$ and $5+3$ (grouping with 5) proceed to task 7A(iv). |
| Actions 7A(iv) | Show the card with six dots from the copymaster for task 7A. |
| Say | This is double three. What number do you need to double to make ten? |
| Decision 7A(iv) | If the student is unable to say 5, rate as stage $\mathbf{2}$ and proceed to module eight. If the student is able to say 5 <br> and has all of 7A(iii) correct, rate as stage $\mathbf{3}$ and proceed to task 7B |


| TASK 7B | INCREMENTING TEN |
| :---: | :---: |
| Actions | For this task, you will need the cut-out five-strip and ten-strips from the copymaster for task 7B. <br> Place a five-strip horizontally in front of the student. Then place a ten-strip below the five-strip. Continue adding ten-strips underneath each other one at a time. |
| Say | Here are five dots. Here are ten more dots. How many dots are there now? <br> Place the ten-strips one at a time. Each time that you add a strip, ask How many dots are there now? |
| Decision | If the student counts the first 15 dots one by one, proceed to module eight. <br> If the student knows $10+5=15$ and counts in increments, $15,25,35, \ldots 65$, rate them as stage 4 for this task and proceed to task 7C to extend their thinking. |
| TASK 76 | TENS AND ONES PLACE VALUE |
| Actions | Show the student page 7 of the Assessment Booklet. |
| Say | How many groups of ten can you make with 70 sticks? |
| Decision | If the student uses a double count (count in tens until they reach 7 fingers) rate them as stage 4 and proceed to module eight. <br> If the student instantly says 7 proceed to task 7D. |


| TASK 7D | PLACE VALUE USING TENS |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Actions | Show the student page 8 of the Assessment Booklet. |  |  |  |
| Say | A DVD player costs $\$ 240$. How many $\$ 10$ notes do you need to pay for it? If their strategy for their answer is not obvious, ask: How did you work that out? |  |  |  |
| Decision | If the student counts in increments, $10,20,30, \ldots$, rate them as stage 4. <br> If the student uses place value, i.e., " 20 tens in 200 and 4 tens in 40 , so it is 24 ", rate them as early stage 5 . |  |  |  |
| BEHAVIOURAL INDICATORS: NUMBER KNOWLEDGE |  |  |  |  |
| NEW ZEALAND CURRICULUM |  |  | NUMBER FRAMEWORK |  |
| Students will: |  |  | The student: |  |
| Level One | - know groupings with five, within ten, and with ten | Beginning | Stage 0 <br> Stage 1 | - is learning to recognise patterns to 5 <br> - instantly recognises groupings up to 5 |
|  |  | Early | Stage 2 <br> Stage 3 | - knows groupings within 5, and with 5 <br> - knows doubles to 10 and within 10 <br> - knows groupings with 10 and the pattern of teens <br> - knows the number of tens in decades |
|  |  | At | Stage 4 |  |
| Level <br> Two | - know how many ones, tens, and hundreds are in whole numbers to at least 1000 | Early | Early stage 5 | - knows groupings of 10 in a three-digit number |

## MODULE EIGHT: NUMBER (BASIC FACTS KNOWLEDGE)



## MODULE NINE: ALGEBRA (PATTERNS)

Before you start this module, it may be useful to let the student know that this module is about patterns. Ask them some questions about patterns to put them at ease and to determine what they already know.


Note: There are two variables (shape and colour) in this sequence. The student may notice one or two of the patterns. The shape pattern is triangle, triangle, square, square, which is also represented as AABB. The colour pattern is yellow, blue, yellow, green, which is also represented as ABAC.

| Say | Put the next block on the end of this pattern. <br>  <br> How did you know which block to use? |
| :--- | :--- |
|  | What would the twelfth block be? How do you know? |

Decision If the student is unable to name the correct blocks, rate them as at level one.
If the student is able to say that a blue triangle is next and that a green square goes in position 12, rate them as early level two.

## BEHAVIOURAL INDICATORS: ALGEBRA

| NEW ZEALAND CURRICULUM |  |  | MATHEMA | CS STANDARDS |
| :---: | :---: | :---: | :---: | :---: |
| In solving problems and modelling situations, students will: |  |  | In solving problems and modelling situations, students will: |  |
| Level One | - create and continue sequential patterns | Beginning | Beginning | - learn to recognise sequential patterns |
|  |  | Early | Year 1 | - continue sequential patterns |
|  |  | At | Year 2 | - create and continue sequential patterns by identifying the unit of repeat |
| Level <br> Two | - find rules for the next number in a sequential pattern | Early | Year 3 | - create and continue sequential patterns with one or two variables by identifying the unit of repeat |

## MODULE TEN: GEOMETRY (SHAPE)

Before you start this module, it may be useful to let the student know that this module is about shapes and sorting objects. Ask some questions about shapes and sorting to put them at ease and to determine what they already know.

| TASK 10A | SORT BY A SELF-CHOSEN CATEGORY |
| :---: | :---: |
| Actions | Give the student a set of attribute blocks (at least 25 blocks; see page 2 for materials needed). |
| Say | 1) All of these blocks are jumbled up. Can you sort them into groups? <br> (Ensure that the student understands the task.) <br> 2) Tell me about your groups and the way you have sorted your blocks. <br> Listen for language about the features of the groups: what they are grouped by; what group has the most, the least; everyday language, e.g., colour, shape, or size; mathematical language, e.g., straight sides or 4 corners, and so on. Question 3 may elicit a more mathematical description of the blocks.) <br> 3) Tell me about this group here. <br> (Point to a group that has different categories within it, e.g., small, large, thick, thin, or colour. Listen for language about different features within a group. Or if a student has sorted by colour, the student may talk about the different shapes within a group of a particular colour.) <br> 4) Show me another way you could sort your blocks. <br> Repeat questions 2 and 3 only if further information is required. For example, if the blocks were sorted by colour originally, this may have limited the student's response. <br> Please note: You may need to ask a specific question about at least two different shapes to draw out the mathematical language. For example, What is the difference between this shape (point to a square) and this one (point to a triangle)? |
| Decision | If the student is unable to sort the materials, rate them as beginning level one for Geometry and proceed to module eleven. <br> If the student is able to sort the materials and describes the groups using everyday language (e.g., colour, basic shapes, big, small), then rate the student as early level one (questions 1 and 2). <br> If the student sorts the materials and describes the groups using mathematical language (e.g., shape, size of groups) then rate the student as at level one (question 2). <br> If the student sorts the materials and describes the sub-groups within a group (e.g., the dimensional features, such as thick and thin) and can re-sort the blocks and describe the features of the re-sorted blocks, rate the student as early level two (questions 3-4). |

## BEHAVIOURAL INDICATORS: GEOMETRY (SHAPE)

## NEW ZEALAND CURRICULUM

In solving problems and modelling situations, students will:


## MATHEMATICS STANDARDS

In solving problems and modelling situations, students will:

- be able to name features of a given object, using everyday language
- sort objects and shapes by a single feature and describe the feature, using everyday language
- sort objects and shapes by different features and describe the features, using mathematical language
- sort objects and two- and three-dimensional shapes by their features, identifying categories within categories


## MODULE ELEVEN: MEASUREMENT (LENGTH)

Before you start this module, it may be useful to let the student know that this module is about measuring (length). Ask some questions about measuring to put them at ease and to determine what they already know.

| TASK 11A | DIRECT COMPARISON |
| :---: | :---: |
| Actions | Place the cut-out red and yellow strips from the copymaster for task 11A randomly in front of the student. |
| Say | Which of these strips is longer? |
| Decision | If the student is unable to align the strips, rate them as beginning level one. <br> If the student directly compares the strips, rate them as early level one and proceed to task 11B to extend their thinking. |
| TASK 11B | CHOOSING AN APPROPRIATE UNIT OF MEASURE |
| Actions | Use the materials listed on page 2 (for example, Cuisenaire blocks, coloured strips) or handspans or armspans for this task. Encourage the student to choose their own non-standard unit. Ask the student the following questions. |
| Say | Show me how you would measure the length of this desk? (Or find something else approximately 50cm in length. Indicate with a sweep of the hand where you want them to measure.) <br> Show me how you would measure the length of this pencil? |
| Decision | If the student is unable to choose the appropriate measuring tool, rate them as early level one. <br> If the student is able to choose an appropriate measuring tool, rate them as at level one and proceed to task 11C to extend their thinking. <br> Ask the student to explain why they chose that particular tool. Note their response. |
| TASK 116 | USING A UNIT OF MEASURE |
| Actions | For this task, you will need the cut-out coloured strips from the copymaster for task 11C. <br> Put down standard (a ruler) and non-standard materials (blocks, string, Cuisenaire blocks etc). Give the student the cut-out blue strip. |
| Say | Measure the blue strip for me. |
| Actions | Remove the strip after they have measured it. Give the student the green and yellow strips; place them randomly on the table so that the student is unable to compare them. |
| Say | Here are two strips. You have to work out which strip is longer, but you cannot put them side by side. You can use some of these materials to help you measure. (It may be necessary to check whether the student can use the ruler). <br> Which strip is longer? How do you know? How much longer than the other strip is it? |
| Decision | If the student is able to use non-standard materials as a measuring unit to compare the strips, rate them as at level one. <br> If the student uses the ruler to measure the strips and gives the difference in measures, e.g., "9-7=2; it's two bits longer", then rate them as early level two. |

BEHAVIOURAL INDICATORS: MEASUREMENT

| NEW ZEALAND CURRICULUM |  |  | MATHEMATICS STANDARDS |  |
| :---: | :---: | :---: | :---: | :---: |
| In solving problems and modelling situations, students will: |  |  | In solving problems and modelling situations, students will: |  |
| Level One | - order and compare objects ... by length, ... by direct comparison and/ or counting whole numbers of units | Beginning | Beginning | - learn to compare objects <br> - compare the lengths ... of objects directly <br> - compare the lengths ... of objects ..., using self-chosen units of measurement |
|  |  | Early | Year 1 |  |
|  |  | At | Year 2 |  |
| Leve <br> Two | - create and use appropriate units and devices to measure length ... <br> - partition and/or combine like measures and communicate them, using numbers and units | Early | Year 3 | - measure the lengths ... of objects ..., using linear, whole-number scales and applying basic addition facts to standard units |

